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# Aircraft Landing Gear : Ground Loads when Spinning-up the Wheels at Touch-down

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Summary.—The investigation covers all combinations of landing speed, coefficient of friction between the tyre and the ground, and harshness of landing, for any type of pneumatic tyre and wheel unit. Particular attention has been given to landing speeds between 50 and 150 m.p.h., coefficients of friction from 0 to  $2 \cdot 0$ , and landings giving vertical wheel accelerations of 1g, 2g, 3g, 4g.

It was found that for any landing, the vertical reaction at any wheel which has just finished spinning-up increases with increase in the moment of inertia of the wheel and tyre unit, and the landing speed, and decreases with increase in the free tyre radius, the aircraft weight, the time to reach the maximum vertical wheel reaction, and the coefficient of friction between the tyre and the ground. It should be noted, of course, that there is a relation between the moment of inertia will increase with aircraft weight.

For any wheel and tyre unit it is shown that there are various combinations of landing speed and coefficient of friction which will cause the wheel spinning up to just cease at the same instant as the maximum vertical wheel reaction is reached, and except for very gentle landings, the maximum value of  $\mu$  required is usually much less than 1.0.

Figs. 1 to 7, together with the notation given in Section 3, are self-explanatory and expand the above observations.

1. Introduction.—It is well-known that wheel drag loads are caused at touch down by spinning-up the landing gear wheels from rest to the speed corresponding to the landing speed of the aircraft. A limited investigation into the magnitude of these drag loads and the associated vertical loads was made some years ago in S.M.E. Department, Royal Aircraft Establishment. For various reasons it is now desirable to extend this investigation.

2. Range of Investigation.—The ground loads arising when spinning-up wheels at touch down have been determined in a manner which can be applied to any type of wheel and pneumatic tyre equipment fitted to undercarriages incorporating oleo-pneumatic or spring-type shock absorbers. The results of this investigation can be applied to aircraft landing at any forward speed on a surface giving any coefficient of friction between the tyre and the ground and for any practicable severity of landing, *i.e.*, very light to very heavy.

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- 3. Method of Analysis.-Considering one wheel:
  - RVertical reaction at any instant
  - $R_1$ Unit static load at landing weight which is equal to aircraft weight  $\div$  number of main wheels for main undercarriage, and to static load with aircraft at rest for auxiliary tail or nose unit
  - Coefficient of friction between tyre and ground μ
  - λ Vertical reaction factor at any instant  $= R/R_1$
  - $\lambda_s$ Vertical reaction factor when spinning-up ceases
  - Maximum vertical reaction factor reached during any landing  $\lambda_m$

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VLanding speed of aircraft

Angular velocity of wheel at any instant  $\mathcal{W}_i$ 

- Free radius of tyre r
- Radius of tyre at any instant, *i.e.*, height of axle above the ground  $\mathcal{V}_i$
- Effective rolling radius of tyre at any instant, *i.e.*,  $= V/w_i$ ¥e
- Moment of inertia of complete wheel and tyre unit about its axle Ι
- t Time measured from instant of touch down

Time to reach maximum vertical reaction  $t_m$ 

- $t_s$ Time taken to spin up the wheel
- TDynamic tyre rate (deflection per unit load)
- Acceleration due to gravity. g

Then at any instant *during* the spinning-up period we have:

$$\mu R r_i = \frac{I}{g} \frac{dw_i}{dt} \cdot$$

Therefore,

i.e.,

 $\int \mu R r_i \, dt = \frac{I w_i}{g} \cdot$ (1)

At time  $t = t_s$  when spinning-up *ceases*, *i.e.*, no slipping between the type and the ground, equation (1) becomes

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Before an explicit expression for equation (2) can be obtained, substitutions will have to be made for  $r_e$ ,  $r_i$  and  $\lambda$  in terms of time t and known constants. These substitutions can be made by the following assumptions:

(i)  $\lambda = \lambda_m \sin \left[ (\pi/2) \cdot (t/t_m) \right]$  has been found to be approximately correct for a large number of landing gear units on which performance tests have been made. These units had the usual oleo-pneumatic or spring type of shock absorber, and further examination of the validity of this equation would have to be made if an unusual type of shock absorber were used.

(ii) Tyre deflection is directly proportional to the vertical load, so that

$$r_e = r - \frac{1}{3}RT = r - \frac{1}{3}\lambda R_1 T = r - \frac{1}{3}\lambda Kr$$

and  $r_i = r - \lambda K r$ 

where  $K = \frac{R_1 T}{r}$  .

Table 1 shows the value of K for a selection of tyres in the 'intermediate' range and in the Ministry of Supply standard tyre ranges. These show that K is of the same order for all these tyre ranges and varies from about 0.10 to 0.16, the general tendency being for K to increase as the tyre size increases.

Therefore, equation (2) becomes

$$\mu = \frac{IV}{t_m g R_1 r^2 \left(1 - \frac{\lambda_s K}{3}\right) \int_{\frac{t}{t_m} = 0}^{\frac{t}{t_m} = \frac{t_s}{t_m}} \lambda_m \sin\left(\frac{\pi}{2} \frac{t}{t_m}\right) \left(1 - \lambda_s K\right) d\left(\frac{t}{t_m}\right)}.$$
(3)

The integral in equation (3) becomes

$$\begin{split} \lambda_m \int_{\frac{t}{m}=t_m}^{\frac{t}{m}=\frac{t_s}{m}} \sin\left(\frac{\pi}{2}\frac{t}{t_m}\right) d\left(\frac{t}{t_m}\right) &- \lambda_m^2 K \int_{\frac{t}{m}=0}^{\frac{t}{m}=\frac{t_s}{m}} \sin^2\left(\frac{\pi}{2}\frac{t}{t_m}\right) d\left(\frac{t}{t_m}\right) \\ &= \lambda_m \frac{2}{\pi} \left[ -\cos\left(\frac{\pi}{2}\frac{t}{t_m}\right) \right]_{\frac{t}{m}=t_m}^{\frac{t}{m}=\frac{t_s}{t_m}} - \frac{\lambda_m^2 K}{2} \int_{\frac{t}{t_m}=0}^{\frac{t}{m}=\frac{t_s}{t_m}} \left[ 1 - \cos\left(\pi\frac{t}{t_m}\right) \right] d\left(\frac{t}{t_m}\right) \\ &= \frac{2\lambda_m}{\pi} \left[ 1 - \cos\left(\frac{\pi}{2}\frac{t_s}{t_m}\right) \right] - \frac{\lambda_m^2 K}{2} \frac{t_s}{t_m} + \frac{\lambda_m^2 K}{2\pi} \left[ \sin\pi\frac{t_s}{t_m} \right] \\ &= \frac{2\lambda_m}{\pi} \left[ 1 - \sqrt{\left(1 - \left(\frac{\lambda_s}{\lambda_m}\right)^2\right)} \right] - \frac{\lambda_m^2 K}{2} \left[ \frac{2}{\pi} \sin^{-1}\frac{\lambda_s}{\lambda_m} \right] + \frac{\lambda_m^2 K}{2\pi} \left[ 2\frac{\lambda_s}{\lambda_m} \sqrt{\left(1 - \left(\frac{\lambda_s}{\lambda_m}\right)^2\right)} \right] \\ &= \frac{2\lambda_m}{\pi} \left\{ \left( 1 - \sqrt{\left[1 - \left(\frac{\lambda_s}{\lambda_m}\right)^2\right]} \right) - \frac{\lambda_m K}{2} \left( \sin^{-1}\frac{\lambda_s}{\lambda_m} - \frac{\lambda_s}{\lambda_m} \sqrt{\left[1 - \left(\frac{\lambda_s}{\lambda_m}\right)^2\right]} \right) \right\} \end{split}$$

Equation (3) may therefore be written

$$\frac{\mu}{\frac{IV}{r^2R_1gt_m}} = \frac{1}{\left(1 - \frac{\lambda_s K}{3}\right)\frac{2\lambda_m}{\pi}\left[\left(1 - \sqrt{\left(1 - \left(\frac{\lambda_s}{\lambda_m}\right)^2\right)}\right) - \frac{\lambda_m K}{2}\left(\sin^{-1}\frac{\lambda_s}{\lambda_m} - \frac{\lambda_s}{\lambda_m}\sqrt{\left(1 - \left(\frac{\lambda_s}{\lambda_m}\right)^2\right)}\right)\right]} \dots (4)$$

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Equation (4), then, defines the relationship between the various factors at the end of the spinning-up period, and it will be seen that the left-hand side of this equation is non-dimensional.

Fig. 1 shows the variation of  $\mu/(IV/r^2R_1gt_m)$  with  $\lambda_s$  for values of  $\lambda_m = 1, 2, 3, 4$  respectively, K being taken = 0.15, these curves being obtained, of course, by substitution in the right-hand side of equation (4). Similar curves for K = 0.10 and K = 0.20 were practically identical with those for K = 0.15 and to avoid confusion these have not been shown. The larger the value of K the slightly further from the origin the curves moved. From Fig. 1 any specific set of conditions can be examined, for K = 0.15 as follows, using lb ft sec units unless otherwise stated, g being taken = 32.2 ft/sec<sup>2</sup>:—

(i) Figs. 2, 3, 4, 5 show, for  $\lambda_m = 1, 2, 3, 4$  respectively, the variation of  $\lambda$ , with  $\mu$ , for values of  $I/r^2 R_1 t_m = 0.025, 0.075$  and 0.125, and values of V = 50, 100, and 150 m.p.h. For nose wheel units  $\lambda_m$  will usually be much greater than 4.0 for very heavy landings, but curves for any value of  $\lambda_m$  can be added to Figs. 2, 3, 4, 5. Table 2 shows the values of  $I/r^2 R_1 t_m$  for various wheel and tyre units, assuming  $t_m = 0.1$  sec which is approximately correct for all the oleo-pneumatic or spring shock absorber units on which drop tests have been made.

(ii) For  $\mu = 1.0$ , Fig. 6 shows the variation of  $\lambda_s/\lambda_m$  with V, for various values of  $\lambda_m$  and  $I/r^2 R_1 t_m$ . Similar curves may be obtained for various values of  $\mu$ .

(iii) In Fig. 7 is shown, for various values of  $I/r^2R_1t_m$  and  $\lambda_m$ , the variation of  $\mu$  with V for landings in which  $\lambda_s = \lambda_m$ , *i.e.*, for landings in which spinning-up ceases at the same instant as the maximum vertical reaction is reached.

The value of  $\lambda_m$  varies for any shock absorber unit according to the vertical velocity of descent at touch down. For dry grass surfaces  $\mu$  is about 0.45 but increasing wetness will decrease this considerably. Dry concrete normally gives  $\mu$  about 1.0, although for spinning-up conditions it is possible that this value may be exceeded.

4. *Examples.*—To demonstrate the use of Fig. 1 for any particular case we will consider two hypothetical examples.

(i) An aircraft fitted with two single-wheel main undercarriage units having  $17 \cdot 50 - 18$  in. patterned tread tyres at a pressure of 45 lb/in.<sup>2</sup> lands at a weight of 28,200 lb at a speed of 92 m.p.h. on a runway having a coefficient of friction with the tyre of 0.75. The landing is rather severe, giving a maximum vertical acceleration of  $2 \cdot 5g$  at the main wheels. We can now estimate as follows, the vertical reaction factor  $\lambda_s$  at the main wheels when spinning up just ceases. In Fig. 1, we know  $\mu$ , r,  $R_1$ , V and g. Also I can be determined (= 568 lb ft<sup>2</sup>) and  $t_m$  estimated from drop tests — say  $t_m = 0.11$  sec, compared with the overall average value of 0.1 sec assumed when obtaining curves based on Fig. 1.

Therefore, 
$$\frac{\mu}{(I/r^2R_1) \ (V/gt_m)} = \frac{0.75}{(568/2.125^2 \times 14,100) \ (134.8/32.2 \times 0.11)} = 2.21,$$

for which, interpolating for  $\lambda_m = 2.5$  in Fig. 1, the corresponding value of  $\lambda_s$  is equal to 1.97.

The time  $t_s$  taken to spin up the wheels is given by

$$1.97 = 2.5 \sin\left(\frac{\pi}{2} \frac{t_s}{0.11}\right)$$

from which  $t_s = 0.064$  sec.

(ii) The above aircraft is fitted with a tail wheel unit having a  $7 \cdot 50 - 10 \cdot 25$  in. patterned tread tyre at a pressure of 45 lb/in.<sup>2</sup>, and the static tail wheel load at the landing weight of 28,200 lb is 2,850 lb. The tail wheel touches down a few seconds after the main wheels, the landing speed being then reduced to 75 m.p.h. and the maximum vertical acceleration at the tail wheel unit is  $1 \cdot 5g$ . In Fig. 1 we again know or can assume the values of  $\mu$ , r,  $R_1$ , V, g, I, and  $t_m$ —say  $t_m$  from drop test results is equal to  $0 \cdot 095$  sec.

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Therefore, 
$$\frac{\mu}{(I/r^2R_1) (V/gt_m)} = \frac{0.75}{(15.12/1.01^2 \times 2,850) (110/32.2 \times 0.095)} = 4.02,$$

for which, interpolating for  $\lambda_m = 1.5$  in Fig. 1, the corresponding value of  $\lambda_s$  is = 1.10. The time  $t_s$  taken to spin up the wheel is given by:—

$$1 \cdot 10 = 1 \cdot 5 \sin\left(\frac{\pi}{2} \frac{t_s}{0 \cdot 095}\right)$$

from which  $t_s = 0.050$  sec.

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#### TABLE 1

Tyre Range	Tyre Size in.	Free radius r of tyre in.	Tyre pressure lb/in.²	Static load R <sub>1</sub> lb	Dynamic tyre rate $T$ in. per lb $\times 10^4$	$K = \frac{R_1 T}{r}$
(Internet lists )	$6.00-6\frac{1}{2}$	8.53	25 35 45	1,025 1,325 1,625	$     \begin{array}{r}       10 \cdot 1 \\       8 \cdot 17 \\       6 \cdot 88     \end{array} $	$0.121 \\ 0.127 \\ 0.131$
	$7.00-7\frac{1}{2}$	9.95	25 35 45	1,350 1,750 2,150	$10.6 \\ 8.49 \\ 7.11$	$0.143 \\ 0.149 \\ 0.153$
	$7.50-10\frac{1}{4}$	12.13	$\begin{array}{c} 25\\ 35\\ 45\end{array}$	1,850 2,350 2,850	$7 \cdot 12 \\ 5 \cdot 99 \\ 5 \cdot 18$	$0.109 \\ 0.116 \\ 0.122$
Internetiate	9•75—12	15.63	$\begin{array}{c} 25\\35\\45\end{array}$	2,800 3,800 4,800	$8.01 \\ 6.58 \\ 4.73$	$0.143 \\ 0.160 \\ 0.146$
	15.00 - 16	$22 \cdot 23$	25 35 45	6,000 8,000 10,000	$4 \cdot 81 \\ 3 \cdot 80 \\ 3 \cdot 14$	$0.130 \\ 0.137 \\ 0.141$
	17.50—18	25.5	25 35 45	8,500 11,500 14,100	$4 \cdot 32 \\ 3 \cdot 23 \\ 2 \cdot 65$	$0.144 \\ 0.146 \\ 0.146$
	19  imes 6.25—9	9.7	$\begin{array}{c} 30\\ 40\\ 50\end{array}$	1,380 1,770 2,160	$8.57 \\ 6.69 \\ 5.48$	$0.122 \\ 0.122 \\ 0.122$
	$21 \times 6.75$ —10	10.65	30 40 50	1,630 2,100 2,570	7.18 5.58 4.57	$ \begin{array}{c} 0.110 \\ 0.110 \\ 0.110 \\ 0.110 \end{array} $
	$23 \times 7 \cdot 25 - 10$	11.5	$     \begin{array}{r}       30 \\       40 \\       50 \\       20     \end{array} $	1,980 2,540 3,100	$7.08 \\ 5.52 \\ 4.52 \\ 0.51$	$\begin{array}{c} 0.122 \\ 0.122 \\ 0.122 \\ 0.122 \\ 0.122 \end{array}$
Ministry of Supply Standard Tyre	$25 \times 7.75$ —11	12.55	40 50 30	2,380 3,030 3,700 4,090	5:06 4.14 5:30	0.122 0.122 0.122 0.122
Range (50 lb/in. <sup>2</sup> )	$32 \times 10.5$ —14	15.95		4,090 5,250 6,410 5,985	$4 \cdot 13$ 3 \cdot 39 4 \cdot 56	0.136 0.136 0.136 0.146
	37 × 13—15	18.65		3,580 7,500 9,150 7,700	3.63 2.99 4.13	0.140 0.146 0.146 0.151
	$42 \times 15 \cdot 50 - 16$	21.0	40 50 30	9,900 12,100 11,750	$3 \cdot 23$ 2 \cdot 64 3 \cdot 23	0.151 0.152 0.152 0.159
	$48 \times 18$ —18	23.88	40 50	14,000 16,250	$2.73 \\ 2.36$	$ \begin{array}{c} 0.160 \\ 0.160 \\ 0.160 \end{array} $
Ministry of Supply Standard Tyre Range (50-70 lb/in. <sup>2</sup> )	$22 \times 6.75 11$	$11 \cdot 2$	50 60 70	2,710 3,180 3,650	4.53 3.94 3.44	$ \begin{array}{c c} 0.110 \\ 0.112 \\ 0.112 \\ 0.122 \\ \end{array} $
	$26 \times 7.75 - 13$	13.0	60 60 70 50	3,600 4,250 4,900 5,100	$4 \cdot 45$ $3 \cdot 55$ $3 \cdot 17$ $3 \cdot 53$	$ \begin{array}{c} 0.123 \\ 0.116 \\ 0.119 \\ 0.120 \end{array} $
	30 × 9—15	15.0	60 70	6,000 6,900	3.00 2.61	0·120 0·120 0·120

## Values of K for Various Ranges of Tyres



TABLE	1 (	[Cont.]	ŀ
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Tyre Range	Tyre Size in.	Free radius r of tyre in.	• Tyre pressure lb/in.²	Static load R <sub>1</sub> lb	Dynamic tyre rate $T$ in. per lb $\times 10^4$	$K = \frac{R_1 T}{r}$
Miniatary of Supply	$34 \times 10.75$ —16	17.05	50 60 70	7,100 8,350 9,600	$3 \cdot 16$ 2 \cdot 69 2 \cdot 34	$\begin{array}{c} 0 \cdot 132 \\ 0 \cdot 132 \\ 0 \cdot 132 \\ 0 \cdot 132 \end{array}$
	$40 \times 13.25$ —17	19•8	50 60 70	10,300 12,075 13,850	2.72 2.32 2.02	$ \begin{array}{c} 0.141 \\ 0.142 \\ 0.142 \end{array} $
Standard Tyre Range (50-70 lb/in <sup>2</sup> )	45 × 16—18	$22 \cdot 6$	50 60 70	14,300 16,750 19,200	$2 \cdot 37$ 2 \cdot 03 1 \cdot 77	$ \begin{array}{c} 0.150 \\ 0.150 \\ 0.150 \end{array} $
(00-70 10/111. )	$52 \times 18 \cdot 5 - 21$	$26 \cdot 1$	50 60 70	19,400 22,700 26,000	$2 \cdot 09 \\ 1 \cdot 79 \\ 1 \cdot 56$	$0.155 \\ 0.155 \\ 0.155 \\ 0.155$
. [	$64 imes 22{\cdot}5{}26$	31 • 9	50 60 70	28,500 33,500 38,500	$1 \cdot 60 \\ 1 \cdot 41 \\ 1 \cdot 23$	$0.143 \\ 0.148 \\ 0.149$
	$20 \times 5 \cdot 25$ —11	$10 \cdot 25$	70 80 90	2,600 2,825 3,250	3·97 3·57 3·25	$0.101 \\ 0.098 \\ 0.103$
	$24 \times 6.00 - 13$	11.9	70 80 90	3,430 3,885 4,340	3.60 3.18 2.85	$0.104 \\ 0.103 \\ 0.104$
	$27 \times 7.25 - 14\frac{1}{2}$	13.75	70 80 90	4,840 5,485 6,130	$3.05 \\ 2.51 \\ 2.39$	$0.108 \\ 0.100 \\ 0.107$
Ministry of Supply	$31 \times 8.75 - 15\frac{1}{2}$	15.65	70 80 90	6,820 7,735 8,650	$2.65 \\ 2.34 \\ 2.09$	$0.115 \\ 0.116 \\ 0.116$
(70-90 lb/in. <sup>2</sup> )	$36 \times 10.75 - 16\frac{1}{2}$	17.8	70 80 90	. 10,000 . 11,100 . 12,200	$2 \cdot 13 \\ 1 \cdot 93 \\ 1 \cdot 76$	$0.120 \\ 0.120 \\ 0.120 \\ 0.120$
	41  imes 12.75—18	20.5	70 80 90	13,900 15,550 17,200	$1.96 \\ 1.75 \\ 1.58$	$0.133 \\ 0.133 \\ 0.132$
	48 × 15.00—21	24	70 80 90	19,000 21,500 24,000	$1.67 \\ 1.47 \\ 1.32$	$0.132 \\ 0.132 \\ 0.132 \\ 0.132$
	$56 \times 17.50$ —24	27.8	70 80 90	26,200 29,700 33,200	$1 \cdot 43$ $1 \cdot 26$ $1 \cdot 12$	$0.134 \\ 0.134 \\ 0.134 \\ 0.134$
	$66 \times 20.75$ —28	32.75	70 80 90	37,500 42,500 47,500	1 · 18 1 · 04 0 · 93	$0.135 \\ 0.135 \\ 0.135 \\ 0.135$

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#### TABLE 2

Value of  $I/r^2 R_1 t_m$  for Various Wheel and Tyre Units ( $t_m = 0.1$  sec)

Note The values of I have been determined from the expression

 $I = 0.6 M_{w} r_{2}^{2} + C M_{T} (R^{2} + 1.5 r_{1}^{2})$ 

where  $M_W$  weight of wheel

 $M_T$  weight of type and inner tube

- $r_2$  rim radius
- $R = (r + r_2)/2$
- r free tyre radius

$$r_1 = (r - r_2)/2$$

С

= 0.95 for tyres with thin treads and 1.01 for tyres with thick or patterned treads.

Tyre Range	Tyre Size in.	I Ib ft²	Tyre Pressure lb/in.²	Static Load R <sub>1</sub> Ib	$\frac{I}{r^2 R_1 t_m}$ (per sec)
	$6 \cdot 00 - 6^{12}_{2}$ *	2.63	25 35 45	1,025 1,325 1,625	$0.051 \\ 0.039 \\ 0.032$
	$7.50-10^{1}_{4}$	15.1	25 35 45	1,850 2,350 2,850	$0.080 \\ 0.063 \\ 0.052$
'Intermediate '	9.75—12*	52.2	$25 \\ 35 \\ 45 \\ 05$	2,800 3,800 4,800	$0.110 \\ 0.081 \\ 0.064 \\ 0.100$
	15.00-16	$274 \cdot 0$	25 35 45 95	8,000 8,000 10,000 8,500	0.133 0.100 0.080 0.148
. [	17.50-18	568.5	23 35 45	11,500 14,100	0.143 0.110 0.089
	$27 \times 8.75 - 12$	30.6	$30 \\ 40 \\ 50$	2,840 3,640 4,440	$0.086 \\ 0.067 \\ 0.055$
Ministry of Supply Standard Tyre Range (50 lb/in. <sup>2</sup> )	37 × 13—15	114•4	$\begin{array}{c} 30\\ 40\\ 50\\ 00\\ \end{array}$	5,985 7,500 9,150	$ \begin{array}{c} 0.079 \\ 0.063 \\ 0.052 \\ 0.101 \end{array} $
	$48 \times 18.00 - 18$	472.0	30 40 50	14,000 16,250	0.101 0.085 0.073
Ministry of Supply	$24 \times 7.25$ —12	22.3	50 60 70	3,220 3,740 4,260	$0.068 \\ 0.058 \\ 0.051$
(50-70 lb/in. <sup>2</sup> )	$26 \times 7.75$ -13	39•4	50 60 70	3,600 4,250 4,900	$0.093 \\ 0.079 \\ 0.068$



Tyre Range	Tyre Size in.	Ilb ft <sup>2</sup>	Tyre Pressure lb/in.²	Static Load R <sub>1</sub> ' Ib	$\frac{I}{r^2 R_1 t_m}$ (per sec)
	30 × 9—15	65.0	50 60 70 50	5,100 6,000 6,900 6,000	0.082 0.069 0.060 0.083
Ministry of Supply	$32 \times 10$ 15	87.3	60 70	7,000	0.033 0.072
Standard Tyre Range { (50-70 lb/in. <sup>2</sup> )			50	14,300	0.003
	$45 \times 16 - 18$	376.0	60 70	16,750 19.200	$0.063 \\ 0.055$
	$64 \times 22 \cdot 5$ -26	1,985	50 60 70	28,500 33,500 38,500	0.099 0.084 0.073
	$26 \times 6.50 - 14$	28.7	70 80 90	4,050 4,600 5,150	$0.061 \\ 0.054 \\ 0.048 \\ 0.050$
Standard Tyre Range	$33 \times 9.75 - 16$	92.9	80	9,175	0.039 0.052 0.057
(70-90 lb/1n.²)	$43 \times 13.5$ —19	281.5	90 70 80	10,250 15,200 17,200	0.057 0.057 0.051
	-		90	19,200	0.045

## TABLE 2 (Cont.)

 $\ast$  Smooth tread. All other tyres have patterned treads.

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FIG. 6. Variation of  $\lambda_s/\lambda_m$  with V for  $\mu = 1 \cdot 0$ .







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